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Barnardo, Twilight; Hoydalsvik, Kristin; Winter, Rudolf; Martin, Chris M.; Clark, Graham F.

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In situ Double ASAXS of the Sintering and Calcination of Sol-Gel Prepared Yttria-Stabilised-Zirconia Ceramics

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In situ Double ASAXS of the Sintering and Calcination of Sol-Gel Prepared Yttria-Stabilised-Zirconia Ceramics

Twilight Barnardo, Kristin Hoydalsvik, Rudolf Winter*

Materials Physics, Aberystwyth University, Penglais, Aberystwyth SY23 3BZ, Wales

Chris M. Martin, Graham F. Clark

Synchrotron Radiation Source, STFC Daresbury Laboratory, Warrington, WA4 4AD, England

twi@ishatar.com

Abstract

Yttria stabilised zirconia xerogels are heat treated to temperatures of 1000°C, and the evolving structures are analysed using anomalous small-angle X-ray scattering (ASAXS) across two absorption edges. Homogeneous nanocrystals (~10 nm in size) begin to grow at temperatures above 390°C for pure YSZ, whilst the presence of a silica matrix inhibits nucleation until 780°C. Anomalous effects have shown the zirconia plays the dominant role in crystal growth, and varying concentrations of yttria do not affect the nucleation temperatures, or average size of the individual particles. The difference between scattering factors, necessary for accurate ASAXS analysis, is also investigated. Relations for this analysis were derived from X-ray absorption spectra - conducted as part of the small-angle scattering investigations.

Introduction

Yttria stabilised zirconia (YSZ) has wide use in solid state electrolyte applications such as oxygen sensors and solid fuel cells ^[1]. Though the parent lattice, zirconia, is usually found in the monoclinic state in ambient conditions, high temperatures can alter the crystalline phases to tetragonal (1400°C) and cubic (2400°C) respectively. The presence of rare-earth or alkaline-earth ions can force the zirconia to stabilise in either the tetragonal or cubic phase at a much lower temperature ^[1]. A thermally activated conduction process is thus achieved through formation of oxygen vacancies within the stabilised zirconia lattice ^[2].

In a typical synthesis, YSZ is produced by the co-precipitation method.^[3] Industrial scale production by the co-milling technique ^[4] and more recently microwave flash have also been suggested ^[5]. The sol-gel method offers the additional opportunity to produce a wider range of YSZ based glasses and ceramics, as well as dip coated substrates and YSZ ceramic fibres.

Traditional sol-gel methods involve the hydrolysis of alkoxide precursor materials under controlled conditions ^[6]. Transition metal alkoxides, however, are generally quite reactive and require the addition of a chelating agent such as acetylacetone to assist in gel formation ^[7]. To produce a clear, homogeneous YSZ gel, acetylacetone is added such that its molar ratio to metal ions is equal to one, and gelation can thus be induced by careful injection of a water-alcohol solution at 50°C. The resultant gels can be dried in air (xerogels) or solvents can be extracted by supercritical drying with carbon dioxide (aerogels), depending on the desired properties of the final product ^[8].

Small-angle X-ray scattering (SAXS) is a method widely used in the analysis of internal nano-scale structures. The technique is extremely useful in determining the size and shape of particles, as well as how they interact. In general terms, a scattering intensity at small angles can be defined as equal to:

$$I(q) = Nr_e^2 \Delta\rho^2 V^2 |F(q)|^2 S(q) \quad (1)$$

Where N is the particle number density, $\Delta\rho$ is the difference in electron density between the primary particles and the surrounding matrix or air, r_e is the classical electron radius, V is the average particle volume. $F(q)$ is the particle form factor (shape), $S(q)$ is the structure factor, and q is the momentum transfer with units of inverse length (r), and is given by,

$$q = \frac{4\pi \sin(\theta)}{\lambda} \quad (2)$$

This relation can give useful information on the shape (form) of the particles, and their overall surface roughness. For smooth surfaces such as spheres, the particle form factor is given by:

$$F(q) = 3 \left(\frac{\sin(qr) - qr \cos(qr)}{q^3 r^3} \right) \quad (3)$$

From eq. 1, $I(q)$ is proportional to the square of the form factor. In the limits $qr \rightarrow 2\pi$, inserting $F(q)$ into eq. 1, gives the Porod relation for smooth surfaces^[9] (eq. 4). The Porod approximation is valid for large q , ie, when $qr \gg 1$.

$$I(q) \propto q^{-4} \quad (4)$$

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5 Gels are composed of agglomerations of small primary particles ($r_p \sim 0.3 \text{ nm}$ for silica and 1.2 nm for
6 zirconia) of fractal dimension d . This allows us to define an adjustment to eq. 4 to use the Porod scheme
7 as a measure of surface roughness. For such materials, the number of particles is instead proportional to
8 q^d at high q [9], so eq. 4 becomes:
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$$14 \quad I(q) \propto q^{-\alpha} \quad (5)$$

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21 The exponent alpha is given by, $\alpha = 6 - d$. Surface roughness can thus be measured by taking the
22 gradient of *log intensity* versus *log q*.
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29 Modern synchrotron radiation sources offer beams of high intensity, meaning scattering patterns can
30 be obtained in seconds, and good time resolved scattering data can be achieved which will track
31 nanometer scale changes *in situ* [10,11].
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38 SAXS is performed at a single fixed energy. This poses a disadvantage as the resultant scattered
39 photons do not present any chemical information on individual species within composite materials.
40 However, by tuning the X-ray energies close to the absorption edge of a given element, the material's
41 overall scattering function will change. Anomalous scattering presents the opportunity to utilise the
42 changes a scattering pattern exhibits close to an absorption edge [12,13,17]. This natural phenomenon can
43 be used to resolve the patterns one would obtain from different species within the sample.
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54 Previous work in anomalous small-angle scattering *in situ*, have included the measurement of
55 scattering functions below and above the absorption edge, and subtracting them to obtain the scattering
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1 contribution of the parent element ^[13]. There has even been some work on comparing scattering
2 functions from successive measurements at beam energies close to the edge *ex situ* ^[14].
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5 A much more detailed analysis is obtained by generating a succession of scattering patterns very close
6 to the absorption edge (to one or two eV), with an additional measurement far below. The resultant
7 scattering functions can be reduced by solving a system of simultaneous equations (*eq. 6*), which contain
8 the resonant correction to the atomic scattering factors; producing three new scattering functions
9 dependent on species ^[12,15].
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$$20 \quad I(q) = f_0^2 I_n(q) + 2f_0 f I_c(q) + (f'^2 + f''^2) I_r(q) \quad (6)$$

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27 Whilst the normal (first) term is equivalent to a SAXS pattern taken far below any absorption edge, it
28 is the cross and resonant terms that provide the additional chemical information. The cross (middle)
29 term describes how the ions interact with the remaining sample, and this can be negative. A resonant
30 contribution provides information on like scatterers; the function one would obtain without the presence
31 of the matrix. To date, only a few static *ex situ* experiments have been performed using this technique
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38 ^[12,16,17].
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45 *Determining the Resonant Correction to the Atomic Scattering Factors*

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50 One of the most fundamental requirements for good ASAXS deconvolution is accurate determination
51 of the atomic scattering factors. Previous ASAXS studies have used resonant corrections determined
52 from theoretical calculations ^[18]. However, these values are calculated for pure elements only, and do
53 not take into account other materials such as mixed oxides where other elements are present.
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Corrections to the atomic scattering factors are determined by means of the Kramers Kronig transforms (eq. 7) which give two values, f' and f'' as a function of energy. Values for f'' are determined by measurement of the absorption spectrum (EXAFS).

$$f'(E) = \frac{2}{\pi} \int_0^{\infty} \frac{E f''(E) dE}{E_0^2 - E^2} \quad (7)$$

Figure I shows a comparison between theoretical values, and those determined from yttria-stabilised-zirconia, which were derived from X-ray absorption spectra. One can clearly see the presence of the yttrium and zirconium absorption edges in the sample, which have a drastic effect on the atomic scattering factor corrections. The presence of fine structure wiggles (unique to the compound) generates additional features just above the edges which are ignored in the f' and f'' tables^[18]. An additional factor is the narrowing of the width of the minimum in f' ; this limits the range of energies that can be used for good ASAXS contrast to several eV. The relative sizes of the steps (in f'') and minima (in f') are also dependent on the concentration of the species. A sample with a higher concentration of yttrium will have a different scattering factor from YSZ with little yttrium present.

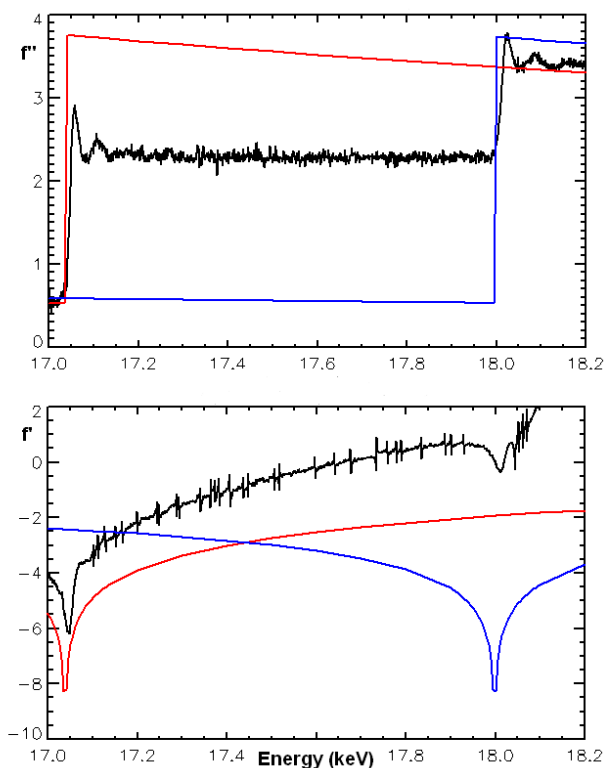


Figure 1. Comparison between theory and experimentally derived values for the resonant corrections to the atomic scattering factors as a function of energy (in keV), f'' (top) and f' (bottom). The two smooth curves in each panel represent the theoretical curves for yttrium (step/minimum near 17 keV) and for zirconium (feature near 18 keV). The two curves are weighted by the Y/Zr molar ratio to derive a theoretical curve for a given composition. An experimental curve for a sample with a molar ratio of 50 mol%, showing features at both energies, is superimposed for comparison.

The ratio of the step sizes depends linearly on the Y/Zr ratio with both edges being equal in intensity when the yttria concentration is 33 mol%. This is due to yttria primary particles existing in the Y_2O_3 state, while zirconia is in the form, ZrO_2 . Using this linear relation, the corrections to the atomic scattering factors across the yttrium edge can be calculated for a wide range of YSZ samples. The presence of a silica matrix does not affect the relative step sizes for given yttria concentrations.

Anomalous scattering data is reduced by the matrix form of equation 6. In single ASAXS, this is a series of simultaneous equations for each value of q (eq. 8), where I_{E1} , I_{E2} and I_{E3} are the scattering functions obtained from three different X-ray energies.

$$\begin{pmatrix} f_0^2 & 2f_0f'_{E1} & f_{E1}'^2 + f_{E1}''^2 \\ f_0^2 & 2f_0f'_{E2} & f_{E2}'^2 + f_{E2}''^2 \\ f_0^2 & 2f_0f'_{E3} & f_{E3}'^2 + f_{E3}''^2 \end{pmatrix} \begin{pmatrix} I_n \\ I_c \\ I_r \end{pmatrix} = \begin{pmatrix} I_{E1} \\ I_{E2} \\ I_{E3} \end{pmatrix} \quad (8)$$

For multiple ASAXS, the scattering corrections for each additional absorption edge need to be included, along with their appropriate normal, cross and resonant terms - to give the general case (eq. 9).

$$\begin{pmatrix} A_1 & 0 & \dots & 0 \\ 0 & A_2 & \dots & 0 \\ \dots & \dots & \dots & \dots \\ 0 & 0 & \dots & A_n \end{pmatrix} \begin{pmatrix} X_1 \\ X_2 \\ \dots \\ X_n \end{pmatrix} = \begin{pmatrix} B_1 \\ B_2 \\ \dots \\ B_n \end{pmatrix} \quad (9)$$

Here A are 3 by 3 matrices containing the resonant corrections, and X and B are column vectors containing the normal, cross and resonant terms, and the scattering functions from three energies for each species respectively. In double ASAXS, equation 9 is reduced to a diagonal 6 by 6 matrix.

Experimental Method

Yttrium isopropoxide solution was prepared by dissolving 1.5 g of anhydrous yttrium III chloride in 25 ml isopropanol (IPA) in a dry nitrogen atmosphere. An additional 25 ml isopropanol was reacted with 1.46 g clean potassium metal. The resultant two solutions were then mixed, and vigorously stirred under reflux at 80°C for three hours, to produce a clear solution of yttrium isopropoxide and a potassium chloride precipitate which was removed by centrifuge^[19].

Sol 1 (ml)							Sol 2 (ml)	
Zr prop	Y prop	TEOS	Acetylacetone	Acetic	IPA	Mol% Y/Zr	IPA	Water
12	0	0	2.25	0.1	6	0	3	2
12	3	0	2.25	0.1	6	2.8	3	2
12	6	0	2.25	0.1	6	5.6	3	2

1	12	9	0	2.25	0.1	6	8.7	3	2
2	12	15	0	2.25	0.1	6	14	3	2
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7	12	0	4	2.25	0.1	6	0	3	2
8									
9	12	3	4	2.25	0.1	6	2.8	3	2
10									
11	12	6	4	2.25	0.1	6	5.6	3	2
12									
13	12	9	4	2.25	0.1	6	8.7	3	2
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16									
17	2.21	6	6	0.66	0.01	6	50	3	2
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Table 1 Sol-gel recipes.

As shown in table one, sol-gel samples were produced by mixing 12 ml zirconium n-propoxide with 6 ml isopropanol, 0.1 ml acetic acid, and 2.25 ml acetylacetonone (AcAc) as a chelating agent, together with a selected quantity of yttrium isopropoxide solution. Gelation was induced by the introduction of 3 ml isopropanol mixed with 2 ml distilled water. The resultant sols were kept at 50°C to produce clear, yellow, homogeneous gels after several hours.

A second batch of samples was prepared by adding 4 ml of tetra-ethylorthosilicate (TEOS) to the zirconia precursor before hydrolysis.

All gels were placed in sealed containers and aged for two months. They were then dried in open air at room temperature, pulverised and pressed into pellets 13 mm in diameter and 0.5 mm thick.

Double ASAXS experiments were conducted at Beamline 6.2, Daresbury Laboratory, using a Rapid quadrant detector, a Rapid WAXS detector, and a camera length of 3.75 m. Measurements were made in transmission geometry. By aligning the beamline at 17.5 keV, we were able to generate scattering patterns at both the yttrium and zirconium K edges in one experiment by fine-tuning the monochromator to six energies around the two absorption edges, which are only 1 keV apart.

Energies were determined by relative positions of the absorption edges from measurements of the X-ray absorption spectra, and were chosen such that the energies were (in eV) -1, -6 and -300 from both

1 experimentally determined absorption edges. The resolution of the Si(111) crystal monochromator is
2 $\Delta E/E \sim 10^{-4}$, resulting in an energy resolution of 2.5 eV at 18keV ^[20]. Given the energy resolution and
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4 the narrowing width of the resonance, it is clear that the data have to be corrected for fluorescence from
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6 both edges. (see Data Redutcion for details.)
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10 The 0.5 mm thick xerogel pellets were each placed in a furnace with kapton windows so
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12 measurements could be made in transmission geometry. All sintering was done in air at atmospheric
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14 pressure to assist the combustion of residual organics. Temperatures were slowly increased to 1000°C
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16 with a 10°C/min ramp up rate. During this period, the six chosen energies (see insert, *figure IV*) were
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18 cycled at a time resolution of 2 seconds per frame; giving a time resolution of 20 seconds per cycle,
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20 taking into account motor movements on the beamline monochromator. Further *in situ* X-ray absorption
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22 spectra were taken on the same gels as separate experiments.
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35 Data reduction

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40 Background measurements were taken from the empty furnace at each energy and subtracted from the
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42 scattered sample signal. Data was normalised by measuring the photon counts of the transmitted and
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44 reflected beam with two ion chambers during each SAXS measurement. Thus, the scattered signal from
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46 only the sample were calculated as eq. 10.
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$$52 I_E = \frac{SI_{0S}}{\tau_s t_s} - \frac{BI_{0B}}{\tau_B t_B} \quad (10)$$

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1 Here, S and B are the raw data from the sample inside the furnace and the empty furnace, I_{OS} and I_{OB}
2 represents the intensities of the incident (non-scattered) beams, τ is the transmission measurements, and
3 t is the data acquisition time.

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7 Uncertainties in $I(q)$ were calculated by measuring the amplitude of the noise in the SAXS patterns to
8 give a ratio $\Delta I/I$. Similar calculations were performed to obtain a margin of error in the determined
9 ASAXS normal and resonant terms.

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14 The beamline monochromator was calibrated by measuring the absorption spectra of yttrium and
15 zirconium foils as a function of energy, thus enabling us to pinpoint the true energy of the incident
16 beam. This procedure was repeated before the commencement of each experiment.

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21 Fluorescence and Resonant Raman Scattering (RRS) is subtracted by taking the high angle patterns of
22 the wide-angle (WAXS) signal and averaging the photon counts to obtain a single value. These numbers
23 are then normalised against the value obtained from the measurement taken below both edges, where it
24 is assumed the fluorescence and RRS contributions are zero. As fluorescence and RRS is assumed to be
25 uniform over all angles, the numbers are actually the gradient of a function of the form $y=mx$ due to the
26 quadrant shape of the detector. The result of eq. 10 is divided by the function thus obtained.
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45 Results and discussion

46 47 48 49 *In situ* SAXS

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54 Small-angle x-ray scattering reveals the growth of a scattering factor maximum (hump). The feature
55 itself moves to lower values of q as the temperature is increased (*Fig II*). Comparing this motion in
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Figure III shows it to be a general case for all the samples. The addition of TEOS to create a silica matrix slows the hump growth, which only becomes more apparent once temperatures are above 780°C.

Varying yttria content is not a contributing factor to altering the nucleation temperature. This naturally leads to the assumption that zirconia itself is crystallising independent of yttria in the early stages.

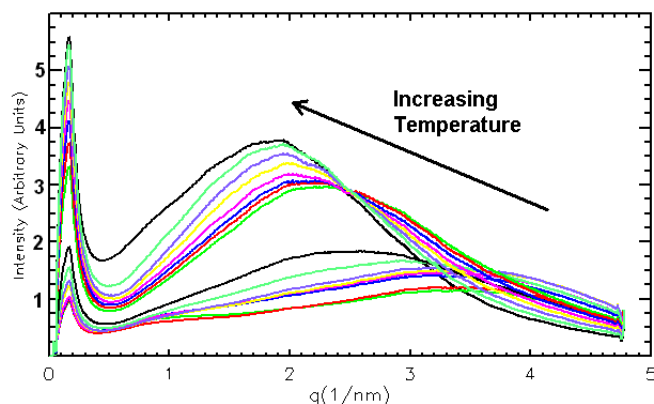


Figure II. Normal *In situ* SAXS revealing the growth of a scattering factor 'hump' during the sintering of a sol-gel derived yttria stabilized zirconia ceramic with 5.6 mol% yttria in air. The feature moves from right to left, and increases in intensity as the temperature is increased from 100 to 700°C. The margin of error in intensity is $\Delta I/I = 2.4 \cdot 10^{-3}$.

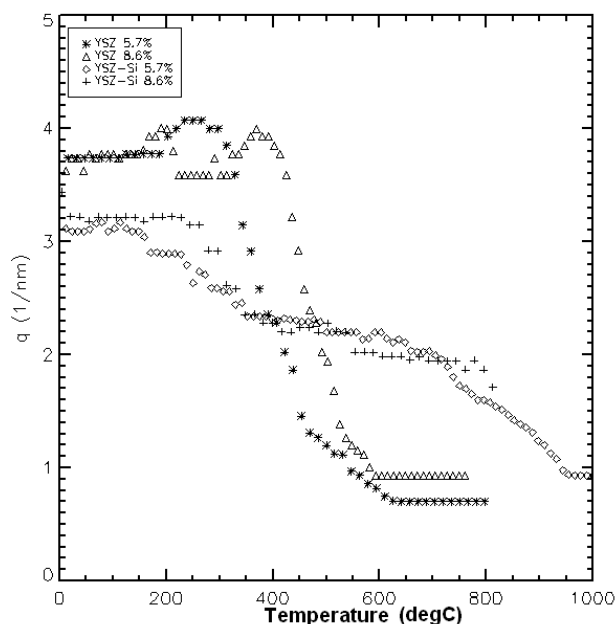


Figure III. The position of the structure factor maximum on the q scale as a function of temperature (°C). The addition of silica (crosses and diamonds) increases the nucleation temperature, in comparison

1 to straight YSZ (stars and triangles), which nucleates at just below 400°C. The YSZ and YSZ in silica
2 samples contain 5.7 and 8.6 mol% yttria.
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10 The scattering factor maximum is attributed to the nucleation and growth of nano-sized tetragonal and
11 cubic YSZ crystals, as has already been described in similar systems ^[13,21,22]. These crystals swell
12 rapidly, until the individual sizes are outside of the q window. The initial hump seen in all samples near
13 $q=4 \text{ nm}^{-1}$ is probably caused by pores in the compressed xerogel that slowly shrink due to the
14 combustion of organic matter in air. Scattering functions of pure YSZ samples show a rapid growth of
15 the maximum after 380°C. For those in the presence of a silica matrix crystal growth is gradual; this
16 growth rate increases when temperatures are above 780°C.
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36 Anomalous (energy dependent) effects 37 38 39 40

41 Small-angle X-ray scattering itself is not enough to determine the initial kinetics of this reaction, as we
42 cannot determine the individual roles of the zirconium and yttrium ions.
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48 The results in figure IV show the anomalous effects observed for a sol-gel derived YSZ ceramic at a
49 temperature above the nucleation point, and reveal a decrease in intensity and broadening of the
50 maximum as energies approach the zirconia K edge for a given, fixed temperature.
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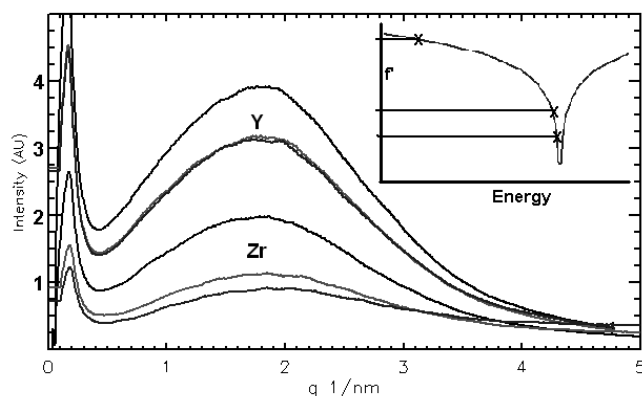


Figure IV. The scattering patterns at six energies; three near the yttrium K edge, and three near the zirconium K edge. Shown here are the scattering functions for YSZ in a silica matrix, heated to 900°C. The anomalous effects are seen as a decrease in overall intensity as first the yttria, and then the zirconia absorbs the X-ray beam; and a broadening of the scattering factor maximum close to the zirconium edge. The insert schematic shows the relative positions of the chosen X-ray energies around an absorption edge, with two being within the minimum (-3 eV and -8 eV) with one far below the edge (-300 eV). This method is followed for both the yttrium and zirconium edges. ($\Delta I/I = 2.4 \times 10^{-3}$). (Fluorescence and Resonant Raman Scattering contributions are subtracted using large angle WAXS measurements).

Taking the Porod slopes of the log-log plots (the exponent α) reveals noticeable changes for energies below the zirconium edge, as well as a difference in gradient between those energies on or close to the edge, compared with those below.

Figure V reveals a rise in gradient from -4 at the time of nucleation, to between -3.2 and -1.8 for energies at or below the yttrium edge, while results taken from the between-edge energy, and those on the zirconium edge reveal shallower gradients. Those on the zirconium edge, in particular, have a Porod exponent close to zero at the highest temperatures. This is due to X-ray absorption by the dense YSZ crystals, leaving the non-YSZ background as the larger contribution. Below nucleation, the Porod scheme does not apply as the samples are still homogenous xerogels, as opposed to nanoscale particles.

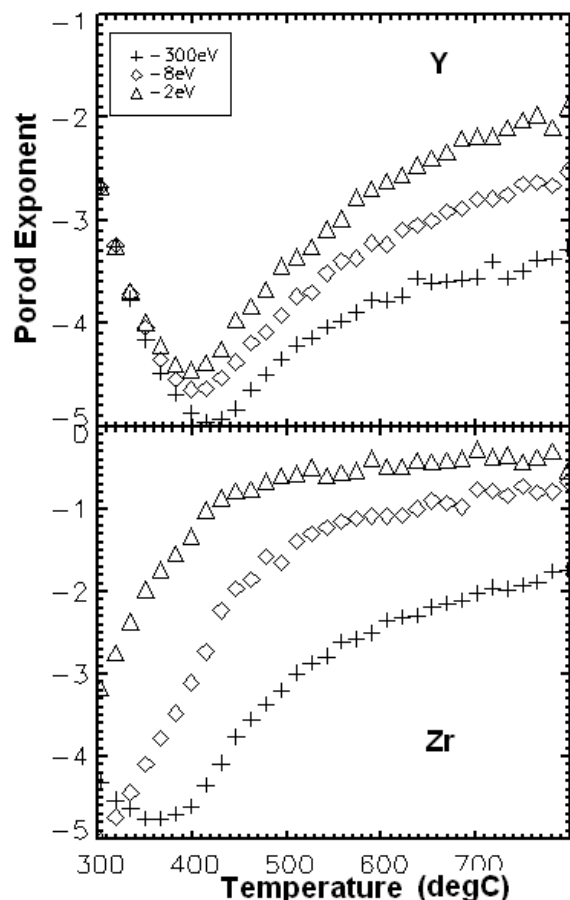


Figure V. The changes in Porod exponent of scattering patterns around the Y (top) and Zr (bottom) edges during the sintering of YSZ without silica. The nucleation point is clearly visible for energies below the zirconium edge. In each case, the triangles represent the energy 300 eV below the edge, with the diamonds and crosses being -8 eV and -3 eV respectively. Porod exponents from energies on the zirconium edge display gradients close to zero.

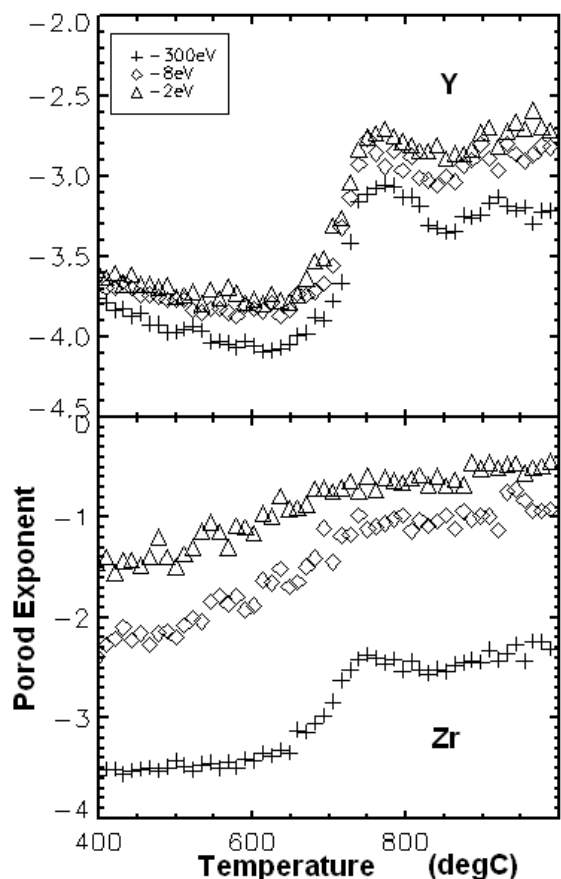


Figure VI. Changes in the Porod gradient of scattering patterns around the Y (top) and Zr (bottom) edges for YSZ in a silica matrix. The nucleation point is much higher than in YSZ without silica (cf. fig. V), visible as a step in the energies below the zirconium edge. The relative edge positions are the same as in figure V.

By comparison, YSZ in a silica matrix (Figure VI) shows a steady gradient of around -4 for each energy until nucleation is about to occur. During this period, gradients below the zirconium edge increase in values of between -3 and -2; shown by the step between 700°C and 800°C in the graphs. Energies on the zirconium edge again show Porod exponents closer to zero, though in this case, the convergences are -0.8 and -0.3 for -3 eV and -8 eV from the zirconium edge respectively.

In both cases, the differences in gradient with increasing energy can be explained by the poly-disperse nature of the growing particles. While a gradient of -4 is attributed to a smooth surface, a decrease implies the surfaces are getting rougher with increasing temperature and particle size. The two highest

energies, where both yttria and zirconia are highly absorbing, show the Porod background. For straight YSZ, this is air; while for YSZ in silica; the main contribution is the matrix.

In situ ASAXS

Figure VII shows how the three terms of the scattering function evolve with temperature during an *in-situ* experiment of the sintering of yttria stabilised zirconia. In addition to scattering from macroscopic objects at low q , a structure factor maximum grows at higher q and moves to the left as temperature increases. While the feature is visible in all three terms, there is a clear difference in shape between the normal and resonant terms once the temperature reaches 380°C. As the samples are heated further, the resonant term once again becomes identical to the normal beyond 640°C.

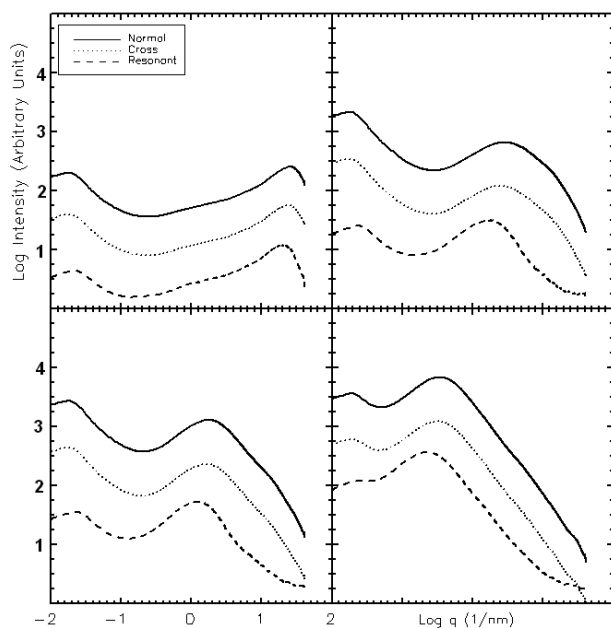


Figure VII. In situ ASAXS scattering patterns (\log Intensity vs $\log q$) showing the separated normal (continuous line) cross (dotted) and resonant (dashed) scattering contributions. Top left: starting xerogel at room temperature, top right – 380°C, bottom left - 420°C, bottom right - 600°C. The resonant term shows a narrowing during sintering at the intermediate temperatures. At 600°C, the resonant term

1 becomes identical in shape to the normal term again. (ΔIII is $2.5 \cdot 10^{-3}$ for the normal and 10^{-2} for the
2 resonant).
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10 The cross term – which comes out as negative – has been reversed to compare with the other
11 scattering patterns. The sign of the cross term is dominated by the sign of f' in *eq. 5*. As can be seen
12 from Fig. 1 f' is negative and increases in magnitude (ie, becomes more negative) as X-ray energies
13 approach the absorption edge; f' remains negative until energies are well above the zirconium edge.
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20 The difference in width between the normal and resonant terms in q space correlates to a distribution
21 in real space. At the nanometer scale, zirconia particles occupy a different region of q to that of yttria in
22 the early stages of nucleation (at 380°C). Nucleates then grow with further heating, forcing the zirconia
23 clusters to incorporate the yttria primaries - increasing homogeneity. Patterns in which the normal, cross
24 and resonant terms are identical in shape (though differing in intensity) are an indication of a 2-phase
25 mixture of homogeneous YSZ and air at the nanoscale.
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36 Additionally, anomalous scattering from high yttria to zirconia ratios indicate the presence of a
37 saturation point, beyond which pockets of surplus yttria will begin to form, which ASAXS is able to
38 resolve in the resonant term (figure VIII, left). In the presence of TEOS, yttria will react with the silica
39 matrix at temperatures over 900°C to form silicates. This effect is shown in the top half of *figure VIII* as
40 a smaller feature to the right of the main scattering factor maximum in both the normal and resonant
41 terms.
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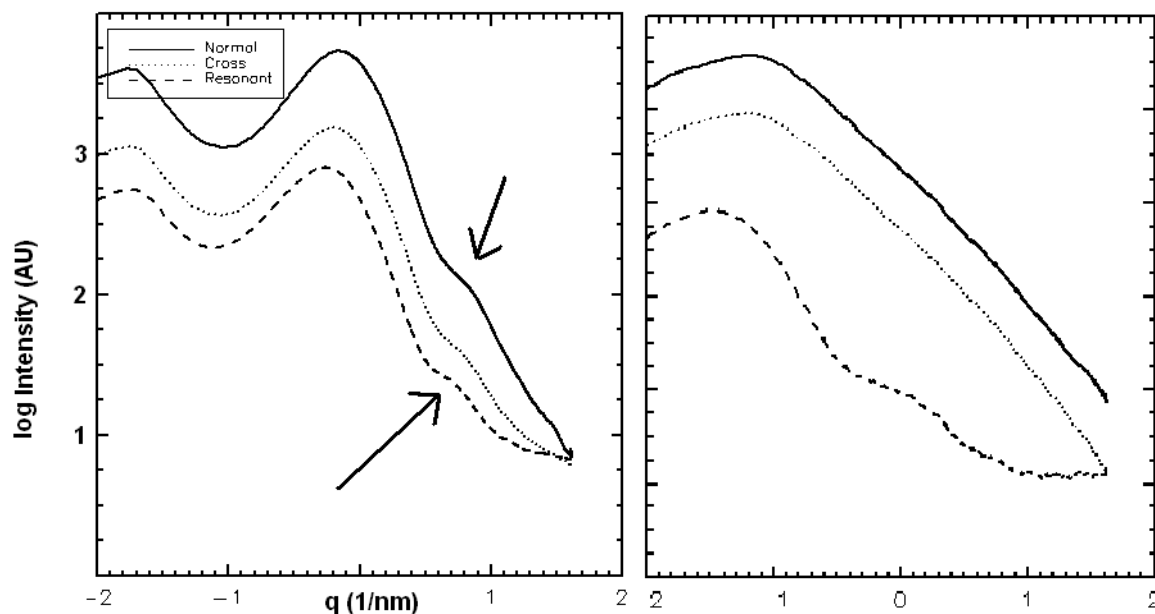


Figure VIII: In-situ ASAXS scattering patterns (*log intensity vs log q*) of a YSZ sample with higher concentration of yttria (Y/Zr = 15 mol%) at 920°C, showing the separated normal (continuous line) cross (dotted) and resonant (dashed) scattering contributions. Left: YSZ in silica matrix, right: YSZ without matrix. Both normal and resonant terms show an additional feature at larger q in the case of YSZ in silica matrix, while for a matrix free YSZ, the feature is only resolved in the resonant term. ($\Delta I/I = 2.5 \cdot 10^{-3}$ for the normal. $\Delta I/I = 10^{-2}$ for the resonant)

Contrasts between the normal and resonant terms: the role of yttria and zirconia

Comparisons of the results have revealed some interesting differences between the normal and resonant terms. Gaussian fitting using IDL was applied to the scattering factor maxima, and their half widths and position in q space measured. These values of q were then converted to length scales using the relation in eq. 8. The resonant term shows a lower q range and narrowing of the scattering factor maximum, which is described as a larger correlation length. Interestingly, though the maximum is narrower, the resonant half widths reveal a distribution that is wider than that of the normal term. In the

1 cases of YSZ with and without silica, the size distributions diverge with increasing temperature and
2 hence can be a measure of an increase in average particle size. These effects can be seen in Figure IX.
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4 Results also reveal the presence of silica also decreases the size distribution range for a given correlation
5 length.
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$$12 \quad L = \frac{2\pi}{q} \quad (11)$$
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16 On a sub-nanometre level, the results are interpreted as further support for the hypothesis that zirconia
17 is playing the dominant role, incorporating yttria into the lattice as the crystals grow. This is a thermally
18 driven reaction where zirconia primary particles drift through the less dense medium (if a silica matrix is
19 present) and coalesce to form nano-sized tetragonal crystals. The inclusion of yttria in the growing
20 crystalline structures induces a cubic phase transition. An increased correlation length and wider
21 distribution with a given temperature in the resonant term can be caused when there are larger pure
22 zirconia crystals. Pure zirconia particles nucleate first, some of which absorb yttria to produce the
23 smaller YSZ particles visible in the normal term. Silica, itself densifying with increasing temperature,
24 slows the thermally driven motion of the zirconia primaries, resulting in smaller crystals and lower size
25 distributions for a given temperature.
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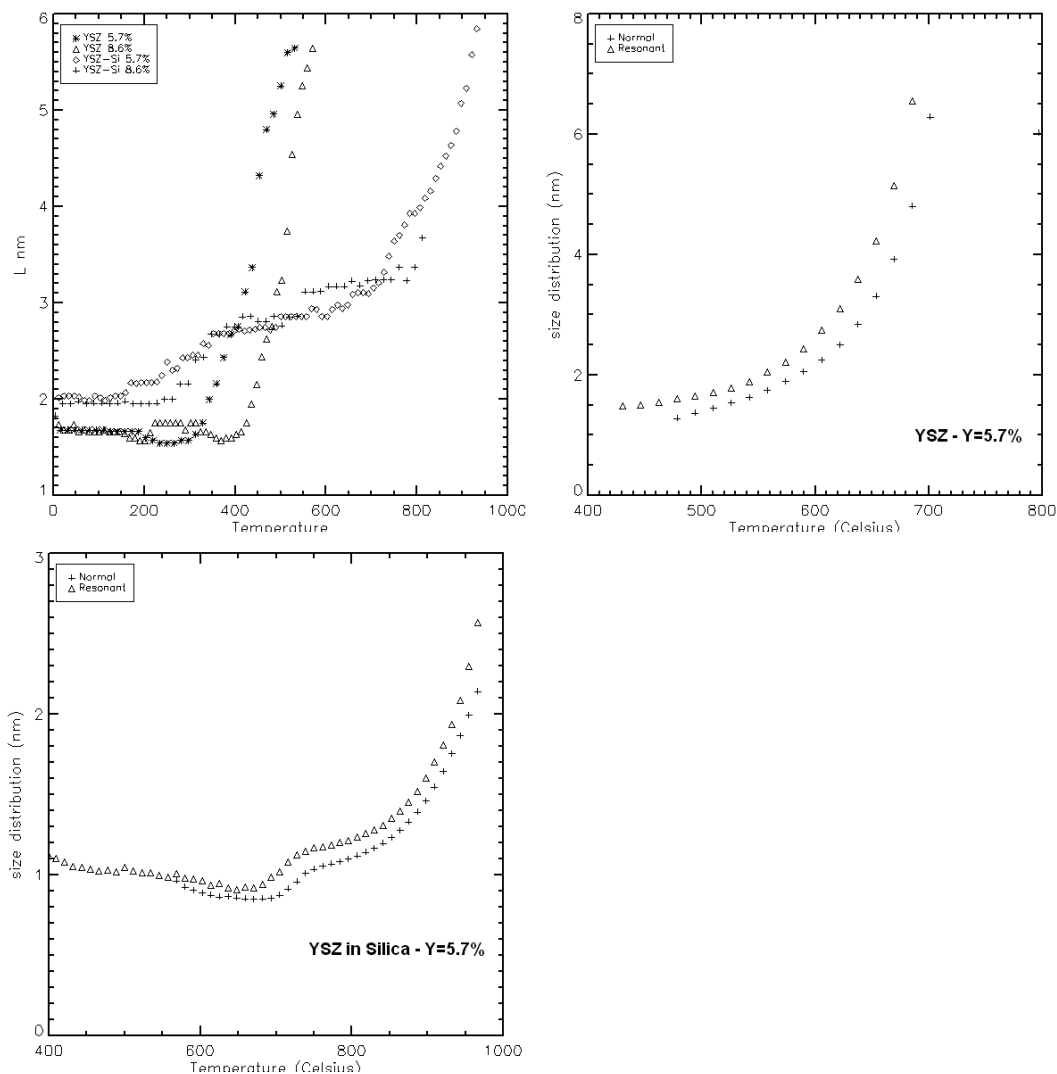
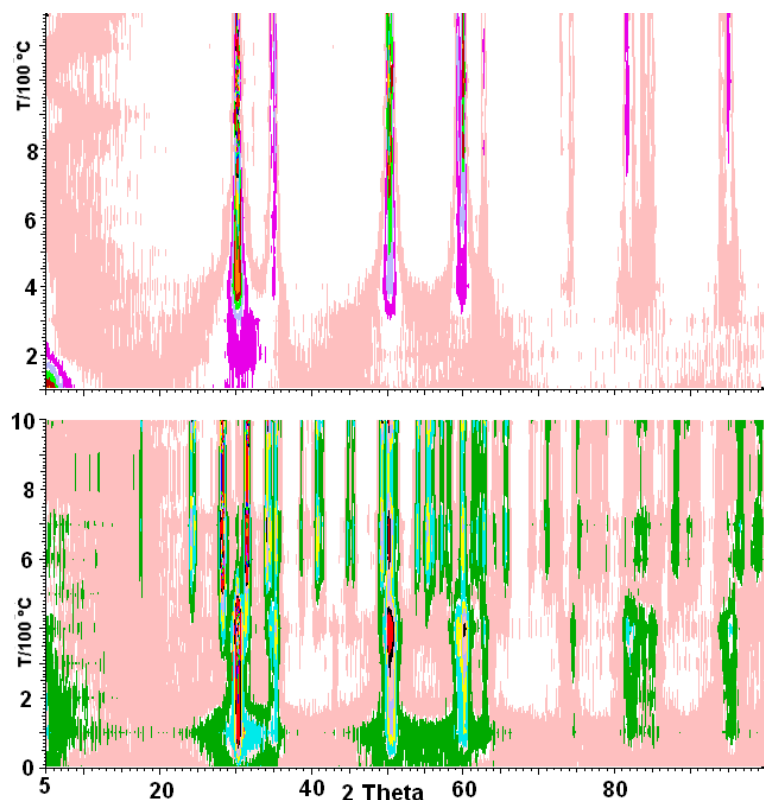


Figure IX: Top left shows the correlation length (L) with temperature for YSZ samples with and without a silica matrix. Pure YSZ (stars and triangles) shows a rapid growth just after nucleation. The plot to the top right displays the half width of the structure factor maximum for the normal and resonant terms for YSZ as temperatures are increased. A similar plot (bottom) is shown for YSZ in silica. The presence of a silica matrix narrows the length distribution range to a couple of nanometers at 1000 degrees Celsius. (Percentages are in terms of mol%)

In addition to *in situ* ASAXS, ex-situ experiments were performed on the same samples using X-ray diffraction (XRD) in the materials laboratory, Aberystwyth University. Samples were heated in a furnace in 50°C steps, and X-ray diffraction was carried out once the sample had cooled to room

1 temperature. Bragg peak formation does not commence until sintering temperatures reach 400°C for
2 pure YSZ, (*figure X top*). For pure zirconia, quenching reveals a tetragonal-monoclinic phase transition
3 when the original baking temperatures exceed 500°C (*figure X bottom*). Particle sizes were estimated by
4 measuring the half widths of the growing Bragg Peaks and applying the Scherrer equation. Results of
5 this investigation were found to compare to the results obtained from SAXS.
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Figure X. Top: XRD contour maps (count rate vs. Bragg angle and temperature). The count rate is colour coded. Experiments were conducted ex situ after quenching samples from the temperatures indicated. Top: YSZ (8.7 mol%), bottom: pure (unstabilised) zirconia. The latter exhibits a phase transition on quenching when baking temperatures exceed 500°C.

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Figure XI is a schematic of the formation of sol-gel derived YSZ based upon the results of the experiments. Initially, there is a homogeneous distribution of yttria and zirconia primaries in the xerogel. Upon heating, the zirconia will crystallise, incorporating the yttrium ions as the crystals grow. This induces an initial inhomogeneity which becomes apparent by changes in the resonant term on zirconium ASAXS. The final result is pure cubic phased yttria stabilised zirconia in a homogenous distribution; shown in ASAXS by the three scattering functions identical in shape, but differing in intensity.

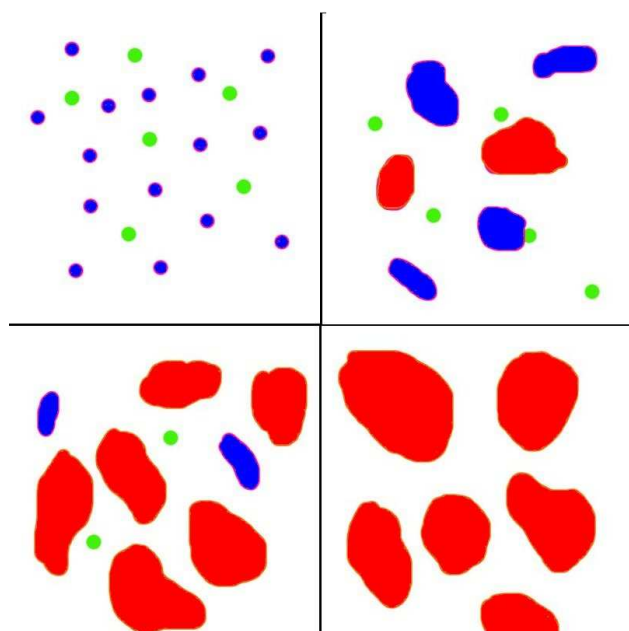


Figure XI: Schematic of the formation of YSZ on heating. Starting from top left: Nucleates of zirconia (blue) grow, absorbing the yttria (green) as they go along - resulting in an initial mixed phase state (top right and bottom right). The material becomes single phase YSZ (red) once all the Yttria has been incorporated into the growing zirconia crystals.

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7 Conclusion
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11 YSZ and YSZ in a silica matrix has been successfully prepared by the sol-gel method, and the roles
12 yttrium and zirconium ions play during sintering have been investigated using *in situ* double ASAXS
13 over two adjacent absorption edges. The presence of a silica matrix increases the crystal nucleation point
14 from 380°C to 780°C. SAXS plots reveal the thermally driven growth of cubic phased nanocrystals
15 averaging 10 nm in size, which is shown by the presence of a scattering factor maximum. The particle
16 sizes determined from SAXS correlate with those obtained from XRD.
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26 Accurate determination of the atomic scattering factors using X-ray absorption spectra is important to
27 make sure the correct solutions for the normal, cross and resonant terms are obtained. The resonant term
28 in zirconium ASAXS displays a narrowing of the scattering factor maximum, as well as a peak position
29 at lower values of q , and hence a larger particle size. This is interpreted as being due to zirconia playing
30 the dominant role during nucleation. Pure zirconia crystals initially nucleate and absorb yttria as they
31 grow, resulting in stabilisation of the cubic phase. Contrast between the normal and resonant terms
32 vanishes as the temperature increases and all the yttria is absorbed into YSZ, making the sample
33 homogeneous. Yttrium ASAXS shows no observable difference between the normal, cross and resonant
34 terms for typical YSZ where the yttrium concentration is much lower than that of zirconia.
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46 Further work will be devoted to samples with higher concentrations of yttria, as well as the additional
47 formation of yttrium silicate in the presence of a silica matrix. Other production techniques will also be
48 investigated with ASAXS, such as coated nanoparticles and conventional solid state reactions.
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